

The Rotational Zeeman Effect of Thiazole and Isothiazole

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The rotational Zeeman effect of low J rotational transitions ($J \leq 3$) has been investigated for Thiazole and Isothiazole. The measured susceptibilities are compared to those calculated within the model of localized (atomic) susceptibilities, and nonlocal contributions to the susceptibility component perpendicular to the ring are obtained. These nonlocal susceptibilities, if compared to those of a set of related compounds appear to correlate to the “aromatic character” as determined by chemical reactivity. Five or six membered rings with $\chi_{\perp \text{nonlocal}} < -30 \cdot 10^{-6} \text{ erg/G}^2 \text{ mol}$ show “aromatic reactions” while molecules with $-20 \cdot 10^{-6} \text{ erg/G}^2 < \chi_{\perp \text{nonlocal}}$ show “olefinic reactions”.

Introduction

In general aromatic molecules are assumed to be characterized by a ringsystem containing $4n + 2$ more or less delocalized π -electrons [1]. Despite this apparently well defined basic property of aromatic molecules, it is not easy to define aromaticity in a unique way in terms of measurable physical or chemical quantities [2]. One method proposed to “measure” aromaticity is to investigate the diamagnetic susceptibility perpendicular to the ring whose nonlocal contribution is related to the nonlocal (molecular) diamagnetic ring current and thus – at least intuitively – to the delocalisation of the π -system [3]. In principle the nonlocal susceptibility should be extractable from NMR-shielding/deshielding data, but strong local contributions may considerably complicate the analysis [4]. In the case of rotational Zeeman spectroscopy, where the molecular susceptibility anisotropies of free molecules are measured directly, such complications do not arise. In the following we report the results of a rotational Zeeman effect study for Thiazole and Isothiazole which closes a gap in the system of five membered rings studied so far [5]. This enables us to give a better judgement of the use of the nonlocal susceptibility perpendicular to the ring [6] as a measure for “aromaticity”.

Experimental

P.a. grade Thiazole and Isothiazole from Merck, Germany, were used after a bulb to bulb distillation

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without further purification. The spectra were recorded with a conventional Stark-effect modulated microwave spectrometer using 33 kHz square wave modulation. For the Zeeman measurements the spectrometer is equipped with an electromagnet capable to deliver a field of about 25 kG (2.5 Tesla) over a gap of 3.5 cm height and 2.5 m length. Details of the spectrometer may be found in Ref. [5 b] and [7]. Under typical recording conditions sample pressures were about 5 m Torr ($7 \cdot 10^{-6}$ Pascal) and cell temperatures were about -50°C . At these conditions zero field linewidths (half width at half height) of 80 to 100 kHz were obtained and the ^{14}N quadrupole hyperfine structure was generally well resolved. With the magnetic field set to about 25 kG the absorption lines further split with overall splittings on the order of 1 to 6 MHz depending on the rotational transition under investigation. Since the presence of the ^{14}N quadrupole nucleus with spin $I = 1$ triples the number of Zeeman satellites as compared to the standard rigid rotor case, overlapping of lines frequently occurs in the Zeeman patterns. It was however possible to arrive at a unique assignment of the recorded Zeeman satellites and to determine accurate molecular g -values and susceptibility anisotropies for both molecules.

Analysis of the Spectra

The molecular parameters for the Thiazoles were determined in a two step procedure. In the first step the rotational constants and ^{14}N nuclear quadrupole coupling constants were fitted to the zero field spectra (Tables 1 and 2). Since only rotational transitions with $J \leq 3$ were used, centrifugal distortions proved negligible and the spectra could be

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Table 1. Observed and deviations to calculated frequencies of rotational transitions of Thiazole and Isothiazole. The calculated frequencies were determined by using the model of the rigid rotor. The observed frequencies are averages of the measured hyperfine transition frequencies corrected by the calculated hyperfine splitting (using the constants of Table 4).

Transition $J_K - K^+ \rightarrow J'K' - K'^+$	Thiazole		Isothiazole	
	$\nu_{\text{exp}}/\text{MHz}$	$\Delta\nu_{\text{e-c}}/\text{kHz}$	$\nu_{\text{exp}}/\text{MHz}$	$\Delta\nu_{\text{e-c}}/\text{kHz}$
$0_{00} \rightarrow 1_{01}$	8 850.087	34	9 270.479	58
$0_{00} \rightarrow 1_{11}$	11 873.747	24	11 699.791	23
$1_{01} \rightarrow 2_{12}$	18 562.318	− 2	18 548.181	26
$1_{11} \rightarrow 2_{02}$	13 863.047	11	14 989.413	32
$1_{11} \rightarrow 2_{12}$	15 538.678	29	—	—
$1_{11} \rightarrow 2_{20}$	31 907.469	41	31 795.085	20
$1_{10} \rightarrow 2_{11}$	19 861.580	18	20 962.896	20
$1_{10} \rightarrow 2_{21}$	28 932.553	−19	28 250.913	− 4
$2_{02} \rightarrow 2_{11}$	8 160.017	35	8 395.531	−18
$2_{12} \rightarrow 2_{21}$	15 555.362	−17	14 554.139	− 5
$2_{11} \rightarrow 2_{20}$	9 884.396	−13	8 410.137	−18
$2_{02} \rightarrow 3_{03}$	—	—	24 339.652	5
$2_{12} \rightarrow 3_{13}$	22 867.347	4	23 583.406	7
$2_{11} \rightarrow 3_{12}$	29 143.435	−27	30 480.288	−61
$2_{21} \rightarrow 3_{22}$	26 550.157	− 2	27 811.234	−29
$2_{20} \rightarrow 3_{21}$	29 252.375	−39	31 282.866	−13
$2_{11} \rightarrow 3_{22}$	35 621.161	− 8	—	—
$3_{13} \rightarrow 3_{12}$	—	—	14 163.069	17

Table 2a. Observed and calculated frequencies of hyperfine transitions of Thiazole used for fitting the nuclear quadrupole coupling constants (s. Table 4). If overlapping of lines occurs the intensity weighted averages of the calculated frequencies are given.

$J_{K-K^+} \rightarrow J'_{K'-K'^+}$	$F \rightarrow F'$	$\nu_{\text{exp}}/\text{MHz}$	$\Delta\nu_{\text{exp}}/\text{kHz}$	$\Delta\nu_{\text{calc}}/\text{kHz}$
$0_{00} \rightarrow 1_{01}$	1 2	8 850.217	817.00	813.00
	1 1	8 849.400		
	1 2	8 850.217	−1238.00	−1218.00*
	1 0	8 851.455		
$1_{01} \rightarrow 2_{12}$	2 3}	18 562.382	798.00	782.00
	1 2}			
	0 1}	18 561.584		
	2 2}			
$1_{11} \rightarrow 2_{02}$	2 3	13 863.286	1027.00	1008.00
	1 2	13 862.259		
	2 3	13 863.286	− 564.00	− 598.00
	0 1	13 863.850		
$1_{11} \rightarrow 2_{12}$	2 3	15 538.865	825.00	860.00
	1 2}	15 538.040		
	2 2}			
$1_{11} \rightarrow 2_{20}$	2 3	31 907.281	557.00	495.00
	0 1	31 906.724		
	2 3	31 907.281	− 940.00	− 958.00
	1 2	31 908.221		
$1_{10} \rightarrow 2_{11}$	1 2	19 860.906	− 808.00	− 816.00
	2 3	19 861.714		
$1_{10} \rightarrow 2_{21}$	0 1	28 933.129	1896.00	1946.00
	1 1	28 931.233		
$2_{02} \rightarrow 2_{11}$	3 3	8 159.792	519.00	526.00
	1 1	8 159.273		
	3 3	8 159.792	− 986.00	− 947.00
	2 2	8 160.778		
$2_{12} \rightarrow 2_{21}$	3 3	15 554.984	−1708.00	−1705.00
	2 2	15 556.692		
	3 3	15 554.984	961.00	947.00
	1 1	15 554.023		
	3 3	15 554.984	− 383.00	− 378.00
	2 1}	15 554.367		
	1 2}			

* In Tables 2 and 3 the two zeros trailing the decimal point have no meaning. Experimental satellite frequency uncertainties are ± 5 kHz for well resolved lines and ± 10 kHz to ± 20 kHz for peak frequencies originating from overlapping lines. The calculated frequencies have been rounded to the next full kHz value.

Table 2 a. (continued 1).

$J_{K-K_+} \rightarrow J'_{K'-K'_+}$	$F \rightarrow F'$	$\nu_{\text{exp}}/\text{MHz}$	$\Delta\nu_{\text{exp}}/\text{kHz}$	$\Delta\nu_{\text{calc}}/\text{kHz}$
$2_{21} \rightarrow 3_{22}$	3 4	26 550.351	871.00	870.00
	3 3			
	2 3	26 549.480		
	2 2			
	3 4	26 550.351	— 481.00	— 484.00
	3 3			
	1 2	26 550.832		
$2_{20} \rightarrow 3_{21}$	3 4	29 252.548	750.00	738.00
	2 3	29 251.798		
	3 4	29 252.548	— 424.00	— 460.00
	1 2	29 252.972		
$3_{30} \rightarrow 4_{31}$	4 5	37 697.643	729.00	720.00
	3 4	37 696.914		

$J_{K-K_+} \rightarrow J'_{K'-K'_+}$	$F \rightarrow F'$	$\nu_{\text{exp}}/\text{MHz}$	$\Delta\nu_{\text{exp}}/\text{kHz}$	$\Delta\nu_{\text{calc}}/\text{kHz}$
$0_{00} \rightarrow 1_{11}$	1 2	11 699.909	704.00	722.00
	1 1	11 699.205		
	1 2	11 699.909	— 1068.00	— 1082.00
	0 1	11 700.977		
$1_{01} \rightarrow 2_{12}$	1 2	18 547.589	— 731.00	— 751.00
	2 3	18 548.320		
	1 2	18 547.589	— 1448.00	— 1461.00
	0 1	18 549.037		
$1_{11} \rightarrow 2_{02}$	2 3	14 989.962	— 656.00	— 662.00
	1 2	14 989.306		
$1_{11} \rightarrow 2_{20}$	2 3	31 794.962	1151.00	1115.00
	0 1	31 793.811		
	2 3	31 794.962	— 759.00	— 781.00
	1 2	31 795.721		
$1_{10} \rightarrow 2_{21}$	2 3	28 251.054	741.00	744.00
	1 2	28 250.313		
	2 3	28 251.054	— 819.00	— 800.00
	0 1	28 251.873		
$2_{02} \rightarrow 2_{11}$	3 3	8 395.364	— 799.00	— 833.00
	2 2	8 396.163		
$2_{11} \rightarrow 3_{22}$	3 4	35 099.455	794.00	773.00
	2 3	35 098.661		
	3 4	35 099.455	— 418.00	— 430.00
	1 2	35 099.873		
$2_{21} \rightarrow 3_{22}$	2 3	27 811.500	351.00	334.00
	3 4	27 811.149		
$2_{20} \rightarrow 3_{21}$	1 2	31 282.492	— 868.00	— 863.00
	2 3	31 283.360		
	1 2	31 282.492	— 198.00	— 215.00
	3 4	31 282.690		
$3_{13} \rightarrow 3_{12}$	4 4	14 162.786	— 1176.00	— 1146.00
	3 3	14 163.944		

Table 2b. Observed and calculated frequencies of some hyperfine transitions of Isothiazole used for fitting the nuclear quadrupole coupling constants (s. Table 4). If overlapping of lines occurs the intensity weighted averages of the calculated frequencies are given.

fitted to the standard rigid rotor energy expression [8]. Only the quadrupole coupling matrix elements diagonal in J (and I) are included in this energy expression. This approximation holds very good in

the case of the weakly coupled ^{14}N nucleus. It is however insufficient to reproduce the microwave spectra of molecules containing strongly coupled nuclei such as for instance ^{81}Br .

In the second step the molecular g -values and susceptibility anisotropies were fitted to the high-field Zeeman hyperfine patterns (Tables 3 a and 3 b). For this fit the rotational constants and quadrupole coupling constants were kept fixed to their values derived from the zero field spectra (Table 4). Again hyperfine- (and Zeeman-) matrix elements off diagonal in the rotational quantum numbers J and $K_- K_+$ were neglected. For each

rotational state the corresponding $M_J M_I$ submatrix was set up in the uncoupled basis $|J, K_-, K_+, M_J\rangle |I, M_I\rangle$ [9] and sufficiently accurate sublevel energies were calculated by second order perturbation theory. This considerably simplifies the least squares procedure. A posteriori the validity of this second order perturbation treatment was checked by diagonalizing the submatrices for each rotational state numerically. The Zeeman-hyperfine-splittings

Table 3a. Observed and calculated frequency splittings of some Zeeman-hyperfine-satellites of Thiazole with respect to the corresponding hypothetical rigid rotor frequencies. The given splittings were used to fit the Zeeman parameters (see Table 5). Since the magnetic field effectively uncouples overall and spin angular momentum, M_J and M_I rather than M_F and F are the appropriate quantum numbers to label the rotational states with $\Delta M_I = 0$ as selection rule for the ^{14}N spin. If overlapping of lines occurs, the calculated splittings are intensity averaged splittings (see text).

Transition $J K_- K_+ \rightarrow J' K'_- K'_+$	$M_J \rightarrow M_J$	M_I	$\Delta\nu_{\text{exp}}/\text{kHz}$	$\Delta\nu_{\text{calc}}/\text{kHz}$
$0_{00} \rightarrow 1_{01}$ 25.62 kGauss	0 0	-1	— 831.00	— 832.00
	0 0	1		
	0 0	0		
$0_{00} \rightarrow 1_{01}$ 19.75 kGauss	0 -1	0	— 476.00	— 466.00
	0 -1	-1	— 70.00	— 80.00
	0 -1	1		
	0 1	0		
	0 1	-1	662.00	675.00
	0 1	1		
$0_{00} \rightarrow 1_{11}$ 25.62 kGauss	0 0	-1	— 569.00	— 556.00
	0 0	0		
	0 0	1		
$0_{00} \rightarrow 1_{11}$ 19.75 kGauss	0 -1	-1	— 316.00	— 327.00
	0 -1	0		
	0 -1	1		
	0 1	-1	657.00	658.00
	0 1	0		
$1_{11} \rightarrow 2_{20}$ 25.62 kGauss	0 1	1	— 975.00	— 965.00
	-1 -1	-1		
	-1 -1	1		
	0 0	-1		
	1 1	-1		
$1_{10} \rightarrow 2_{11}$ 25.62 kGauss	0 0	1	1361.00	1360.00
	0 0	0		
	0 0	-1		
	1 1	1		
	0 0	0	— 967.00	— 986.00
	0 0	1		
	0 0	0		
	1 1	0		
$1_{10} \rightarrow 2_{11}$ 24.21 kGauss	1 1	-1	294.00	315.00
	1 1	1		
	-1 -1	-1	1463.00	1450.00
	-1 -1	1		
	0 -1	-1	— 2312.00	— 2326.00
	0 -1	1		
	0 -1	0	— 1519.00	— 1533.00
	1 0	-1		
	-1 -2	0	— 813.00	— 837.00
	1 0	1		
$1_{10} \rightarrow 2_{11}$ 24.21 kGauss	-1 -2	-1	— 437.00	— 423.00
	-1 -2	1		
	0 1	-1	168.00	161.00
	0 1	1		
	1 2	0	606.00	579.00
	1 2	-1		
	0 1	0	985.00	980.00
	1 2	1		

Table 3a (continued 1).

Transition $J_K - K_+ \rightarrow J'_K - K'_+$	$M_J \rightarrow M_{J'}$	M_I	$\Delta\nu_{\text{exp}}/\text{kHz}$	$\Delta\nu_{\text{calc}}/\text{kHz}$
$2_{02} \rightarrow 2_{11}$ 25.62 kGauss	-2 -2	-1}	-3490.00	-3486.00
	-2 -2	1}		
	-2 -2	0	-2850.00	-2851.00
	2 2	-1}	946.00	972.00
	2 2	1}		
	2 2	0	1581.00	1598.00
$2_{02} \rightarrow 2_{11}$ 19.75 kGauss	-1 -2	-1}	-1811.00	-1805.00
	-1 -2	1}		
	-2 -1	-1}		
	0 -1	0}	-1127.00	-1077.00
	-2 -1	1}		
	0 -1	-1}	-303.00	-297.00
	0 -1	1}		
	1 0	-1}		
	-1 0	0}	332.00	343.00
	1 0	1}		
	2 1	1}		
	0 1	-1}		
	1 2	0}	1703.00	1706.00
	0 1	1}		
$2_{11} \rightarrow 2_{20}$ 19.75 kGauss	-1 -2	-1}	-2456.00	-2448.00
	-1 -2	1}		
	0 -1	-1}		
	1 0	0}	-1252.00	-1252.00
	0 -1	1}		
	1 0	-1}		
	2 1	0}	-510.00	-510.00
	1 0	1}		
	1 2	-1}		
	1 2	1}	1016.00	1031.00
	0 1	0}		
	-1 0	-1}		
	0 1	-1}	1469.00	1471.00
	-1 0	1}		
	0 1	1}		
$2_{12} \rightarrow 3_{13}$ 21.98 kGauss	1 0	-1}		
	1 0	1}	-561.00	-582.00
	-1 0	-1}		
	2 3	0}	-410.00	-382.00
	-1 0	1}		
	0 1	-1}		
	2 3	-1}		
	-1 0	0}	-10.00	-42.00
	0 1	0}		
	0 1	1}		

calculated by the two methods differ by 5 kHz at most, which is still within the experimental uncertainty of the frequency determinations and thus justifies the use of the second order perturbation treatment. If – as was frequently the case – two or even more Zeeman hyperfine satellites overlapped within one zero-field halfwidth, the observed peak frequency was assumed to be sufficiently well reproduced by the intensity weighted average frequency of the constituent satellites (compare Ref. [10] for a detailed discussion of the analysis of

unresolved lines). The diagonal elements of the molecular g -tensor and the anisotropies of the magnetic susceptibility tensor obtained by the least squares fit to the splittings are given in Table 5. Also listed in Table 5 are the molecular electric quadrupole moments, the individual components of the diagonal elements of the susceptibility tensor, and the ground state expectation values for the sums of the squares of the electron coordinates, all referred to the principal axis systems of the moment of inertia tensor (center of mass system). To

Table 3b. Observed and calculated frequency splittings of some Zeeman-hyperfine-satellites of Isothiazole.

Transition $J_{K-K_+} \rightarrow J'_{K'-K'_+}$	$M_J \rightarrow M_{J'}$	M_I	$\Delta\nu_{\text{exp}}/\text{kHz}$	$\Delta\nu_{\text{calc}}/\text{kHz}$
$0_{00} \rightarrow 1_{01}$ 19.75 kGauss	0 -1	-1}	- 142.00	- 142.00
	0 1	1}		
	0 -1	-1}	388.00	400.00
	0 1	1}		
$0_{00} \rightarrow 1_{11}$ 25.62 kGauss	0 0	-1}	- 766.00	- 799.00
	0 0	1}		
$0_{00} \rightarrow 1_{11}$ 19.75 kGauss	0 -1	-1}	- 404.00	- 386.00
	0 -1	1}		
	0 1	-1}	942.00	959.00
	0 1	1}		
$1_{11} \rightarrow 2_{20}$ 25.63 kGauss	-1 -1	-1}	-1187.00	-1208.00
	-1 -1	1}	- 875.00	- 872.00
	-1 -1	0		
	0 0	0	805.00	783.00
	1 1	-1}	1171.00	1153.00
	1 1	1}		
	0 0	-1}	1526.00	1534.00
	1 1	0}		
	0 0	1}		
$1_{11} \rightarrow 2_{20}$ 24.21 kGauss	-1 -2	-1}	-4036.00	-4074.00
	-1 -2	1}	-3680.00	-3680.00
	-1 -2	0		
	0 -1	0	-1568.00	-1594.00
	0 -1	-1}	- 835.00	- 852.00
	0 -1	1}		
	1 0	-1}	- 512.00	- 515.00
	1 0	1}		
	1 2	-1}	2049.00	2000.00
	1 2	1}		
	0 1	0}	2364.00	2358.00
	1 2	0}		
	0 1	-1}	3024.00	2997.00
	0 1	1}		
$1_{10} \rightarrow 2_{11}$ 25.63 kGauss	0 0	-1}	- 753.00	- 769.00
	0 0	0}		
	0 0	1}		
	1 1	0	- 270.00	- 264.00
	1 1	-1}	211.00	209.00
	1 1	1}	1229.00	1215.00
	-1 -1	0		
	-1 -1	-1}		
-1 -1	1}	1668.00	1666.00	
$1_{10} \rightarrow 2_{21}$ 24.11 kGauss	-1 -1	-1}	1011.00	935.00
	-1 -1	0}		
	-1 -1	1}		
$1_{10} \rightarrow 2_{21}$ 24.21 kGauss	0 -1	-1}	-2733.00	-2713.00
	0 -1	1}	-2202.00	-2191.00
	0 -1	0		
	-1 -2	0	-1617.00	-1622.00
	-1 -2	-1}	-1159.00	-1191.00
	-1 -2	1}		
	0 1	-1}	677.00	671.00
	0 1	1}		
	0 1	0}	1271.00	1274.00
	1 2	0}		
	1 2	-1}	1734.00	1741.00
	1 2	1}		
	-1 0	-1}	2823.00	2827.00
	-1 0	0}		
	-1 0	1}		

Table 3b (continued 1).

Transition $J_{K-K^+} \rightarrow J'_{K'-K'^+}$	$M_J \rightarrow M_{J'}$	M_I	$\Delta\nu_{\text{exp}}/\text{kHz}$	$\Delta\nu_{\text{calc}}/\text{kHz}$
$2_{02} \rightarrow 2_{11}$ 19.75 kGauss	-1 -2	-1 }	-2098.00	-2128.00
	-1 -2	1 }		
	-2 -1	-1 }	-1063.00	-1098.00
	-2 -1	1 }		
	0 -1	-1 }	- 325.00	- 351.00
	0 -1	1 }		
	0 1	-1 }		
	1 2	-1 }	1717.00	1699.00
	0 1	1 }		
	1 2	1 }		
$2_{12} \rightarrow 2_{21}$ 25.63 kGauss	-2 -2	-1 }	-4617.00	-4627.00
	-2 -2	0 }		
	-2 -2	1 }		
	-1 -1	-1 }	-1047.00	-1047.00
	-1 -1	0 }		
	-1 -1	1 }		
	2 2	-1 }	2124.00	2089.00
	2 2	0 }		
	2 2	1 }		
$2_{11} \rightarrow 2_{20}$ 25.62 kGauss	-2 -2	-1 }	-1611.00	-1636.00
	-2 -2	1 }		
	-1 -1	-1 }	- 621.00	- 648.00
	-1 -1	1 }		
	1 1	-1 }	877.00	813.00
	2 2	0 }		
	1 1	1 }	1234.00	1286.00
	2 2	-1 }		
	2 2	1 }		
$2_{11} \rightarrow 2_{20}$ 19.75 kGauss	0 -1	-1 }	-1750.00	-1753.00
	0 -1	1 }		
	1 0	-1 }	- 784.00	- 760.00
	1 0	1 }		
	2 1	-1 }	205.00	182.00
	2 1	1 }		
	-2 -1	0	543.00	553.00
$2_{20} \rightarrow 3_{21}$ 25.63 kGauss	1 1	-1 }		
	2 2	-1 }		
	0 0	0 }	- 308.00	- 366.00
	2 2	0 }		
	1 1	1 }		
	2 2	1 }		
	-1 -1	0	334.00	325.00
	-1 -1	-1 }	610.00	617.00
	-1 -1	1 }		
	-2 -2	-1 }		
	-2 -2	0 }	1730.00	1739.00
	-2 -2	1 }		

calculate the quadrupole moments the structures given in Fig. 1 were used. To calculate the individual components of the susceptibilities the liquid phase bulk susceptibility of Thiazole [11] was used as additional information. Since liquid phase and gasphase susceptibilities may differ, we increased the uncertainty limits of the bulk value to

$\pm 2 \cdot 10^{-6} \text{ erg/G}^2 \text{ mol}$ for Thiazole and to $\pm 3 \cdot 10^{-6} \text{ erg/G}^2 \text{ mol}$ for Isothiazole as compared to $\pm 0.5 \cdot 10^{-6} \text{ erg/G}^2 \text{ mol}$ which to our experience is a typical experimental uncertainty for a liquid phase bulk susceptibility determination using the Faraday method [12] or an NMR technique [13]. For a discussion of the implicit neglect of molecular vibra-

Table 4. Rotational constants and nuclear quadrupole coupling constants, $\chi^{N^{14}}$, of Thiazole and Isothiazole (see Table 1 and 2). Our values agree within two standard deviations with those of the earlier determinations^{18,19}. However our values for Isothiazole could be determined with experimental uncertainties reduced by a factor of 20 as compared to the earlier investigation¹⁸.

	Thiazole	Isothiazole
A/MHz	8529.425 (4)	8275.575 (5)
B/MHz	5505.755 (3)	5846.228 (3)
C/MHz	3344.298 (3)	3424.193 (3)
$\chi_{aa}^{N^{14}}/\text{MHz}$	− 2.708 (22)	1.037 (23)
$\chi_{bb}^{N^{14}}/\text{MHz}$	0.113 (34)	− 2.404 (27)
$\chi_{cc}^{N^{14}}/\text{MHz}$	2.595 (34)	1.367 (27)

tions in the evaluation of the molecular quadrupole moments the reader is referred to Ref. [5b], Chapter II B.










Local and Nonlocal Susceptibilities

Pascal [14] was the first to introduce the concept of local susceptibilities to calculate bulk susceptibilities from atomic increments. When the more detailed information obtained from rotational Zeeman effect measurements on free molecules became available, Benson and Flygare [15] developed a scheme to calculate the individual components of the molecular susceptibility tensors from atomic tensors as building blocks [16]. The orientation of the atomic susceptibility tensors with respect to the molecular frame is determined by the orientation of the bond directions and a rough allowance for the special bonding situation of the atom under consideration is made by assigning different atomic susceptibility tensors to say sp^2 - and sp^3 -hybridized carbon atoms etc. Since the first table of local

Table 5. Molecular quantities derived from the experimental data given in Tables 3, the geometries of the nuclear frames and the bulk magnetic susceptibilities. Quoted uncertainties are standard errors of the least squares fit.

		Thiazol	Isothiazol
Molecular g -values	g_{aa} g_{bb} g_{cc}	− 0.1057 (3) − 0.0847 (3) 0.0404 (3)	− 0.1287 (3) − 0.0785 (3) 0.0433 (3)
Molar magnetic susceptibility anisotropies	$N_L(2\chi_{aa} - \chi_{bb} - \chi_{cc})$ [10^{-6} erg/(G ² mole)] $N_L(2\chi_{bb} - \chi_{cc} - \chi_{aa})$ [10^{-6} erg/(G ² mole)]	51.3 (5) 50.7 (5)	55.5 (6) 51.0 (6)
Liquid phase bulk magnetic susceptibilities in units of 10^{-6} erg/(G ² mole)	χ_{bulk}	− 50.6 (20)	− 50.6 (30)
Molecular quadrupole moments in units of 10^{-26} esu cm ²	Q_{aa}	− 3.2 (5)	5.1 (6)
$Q_{aa} = \frac{ e }{2} \left\{ \sum_n^{\text{nuclei}} Z_n (2a_n^2 - b_n^2 - c_n^2) - \langle 0 \sum_s^{\text{electrons}} (2a_s^2 - b_s^2 - c_s^2) 0 \rangle \right\}$ $= - \frac{h e }{16\pi^2 M_p} \left\{ \frac{2g_{aa}}{A} - \frac{g_{bb}}{B} - \frac{g_{cc}}{C} \right\} - \frac{2m c^2}{ e } \{ 2\chi_{aa} - \chi_{bb} - \chi_{cc} \}$	Q_{bb} Q_{cc}	8.0 (6) − 4.8 (9)	0.0 (6) − 5.1 (10)
Magnetic susceptibilities in units of 10^{-6} erg/(G ² mole)	χ_{aa} χ_{bb} χ_{cc}	− 33.5 (22) − 33.7 (22) − 84.6 (23)	− 32.1 (32) − 33.6 (32) − 86.1 (34)
Second moments of the nuclear charge distribution calculated from the geometry of the nuclear frame given in Å ²	$\sum_n Z_n a_n^2$ $\sum_n Z_n b_n^2$ $\sum_n Z_n c_n^2$	48.2 (1) 35.4 (1) 0.0 (0)	47.8 (5) 34.7 (5) 0.0 (0)
Second moments of the electronic charge distribution in Å ²	$\langle 0 \sum_s a_s^2 0 \rangle$ $\langle 0 \sum_s b_s^2 0 \rangle$ $\langle 0 \sum_s c_s^2 0 \rangle$	55.9 (10) 41.5 (10) 7.9 (10)	54.4 (22) 42.0 (22) 8.0 (22)
$\langle 0 \sum_s^{\text{electrons}} a_s^2 0 \rangle = - \frac{2m c^2}{e^2} (\chi_{bb} + \chi_{cc} - \chi_{aa})$ $- \frac{h}{16\pi^2 m_p} \left(\frac{g_{bb}}{B} + \frac{g_{cc}}{C} - \frac{g_{aa}}{A} \right) + \sum_n^{\text{nuclei}} Z_n a_n^2$			

Table 7. Comparison of experimental susceptibilities and susceptibilities calculated within the local model from the atomic increments listed in Table 6. $\chi_{||} = (\chi_{aa} + \chi_{bb})/2$, $\chi_{\perp} = \chi_{cc}$, c -axis perpendicular to the plane of the ring. Isoprene at the top of the list was included as an example of an open chain molecule where generally $\chi_{||}$ and χ_{\perp} are reproduced well within the local model. The values of the susceptibilities are given in units of 10^{-6} erg/Gauss²mole.

Molecule	Experimental susceptibilities	Nonlocal susceptibilities
	$\chi_{ }$ χ_{\perp}	$\chi_{ }$ χ_{\perp}
	−35.7 [21] −52.8	1.6 −0.3
	−33.3 [15] −67.5	−1.1 −18.8
	−31.9 [22] −70.6	−0.8 −25.3
	−25.6 [23] −62.8	−0.5 −26.9
	−24.4 [23] −65.1	0.7 −29.2
	−40.7 [22] −90.8	−2.8 −39.1
	−33.6 −84.6	−1.0 −38.1
	−32.8 −86.1	−0.2 −39.6
	−38.8 [24] −97.2	−1.5 −38.4

reactions. In this sense the replacement of a >CH group by the isoelectronic >N group leaves the chemical reactivity of the ring molecule essentially unchanged and in good correlation the value of $\chi_{\perp}^{\text{nonlocal}}$ remains constant too.

In an attempt to get a deeper understanding of $\chi_{\perp}^{\text{nonlocal}}$ we have also carried out CNDO calculations. Although the quality of the CNDO-approach may be questionable for molecules with highly delocalized orbitals it may be interesting to note that in each of the closely related pairs Thiazole/Isothiazole; Oxazole/Isoxazole and 1,2-Defluorobenzene/1,3-Difluorobenzene the partner with the less negative $\chi_{\perp}^{\text{nonlocal}}$ also turns out to be the one which shows the higher “CNDO-polarity” in the ring. By “CNDO-polarity” we mean the sum of the absolute values of the excess CNDO atomic charges of the ring atoms. In other words, the more the CNDO-calculation indicates that certain atoms tend to attract, others to give off electrons, the smaller is the value of the negative nonlocal susceptibility.

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